## Starter 1/15

## 5.1 \#31-36

## 5.2 a

Sample Space (s): A list of all possible outcomes
ex: flip a coin twice: $S=\{H H, H T, T H, T T\}$
Event: one outcome or a set of outcomes

## Probability Rules

1. $P(A)=$ Probability that Event $A$ will occur $=$

$$
\text { \# of outcomes of } A
$$

total \# of outcomes
2. Any probability is a $\#$ between $0 \& 1$.
3. The sum of the probabilities is always 1.
4. The probability that an event does NOT occur is $1-P$ (occurs)
"not $A^{\prime \prime}=A^{c}=$ complement of $A$
5. If 2 events are mutually exclusive (disjoint) then the probability that one or the other occurs is the sum of their probabilities. $\quad P(A$ or $B)=P(A)+P(B)$
mutually exclusive: when the events cant happen at the same time.
think venn diagrams:

$P($ spade or heart $)=P($ spade $)+P($ heart $)$

$$
\frac{13}{52}+\frac{13}{52}
$$

$$
\frac{26}{52}=\frac{1}{2}
$$

ex: Smartphone market in the U.S.

|  | Android | Apple | Blackberry | other |
| :---: | :---: | :---: | :---: | :---: |
| $P$ (phone) | $53 \%$ | $26 \%$ | $7 \%$ | $?$ |

a) Find the Probability that a customer does not purchase an Android.

$$
P(\text { not an Android })=1-P(\text { Android })
$$

$$
1-.53=.47
$$

b) Find the probability that a customer purchases an Android or Apple.
$P($ Android or Apple $)=$

$$
P(\text { Android })+P(\text { Apple })
$$

$$
53+.26=.79
$$

c) Find the probability that a customer purchases one of the 'other' smartphones. 1-P (all the known)

$$
.53+.26+.07=.86
$$

$$
1-0.86=0.14=P \text { (other) }
$$

ex: 2010 AP Stats Scores

| score | 1 | 2 | 3 | 4 | 5 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| probability | 0.233 | 0.183 | 0.235 | 0.224 | 0.125 |

a) show that this is a legitimate probability model.

All probabilities are between 0 and 1 All probabilities add to 1
b) What is the probability that a student passed the AP Exam in 2010?

$$
0.235+0.224+0.125=0.584=58.4 \%
$$

